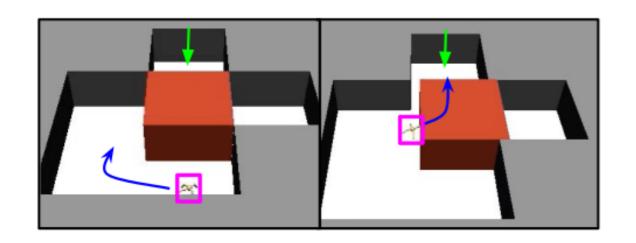
Hierarchical Deep Reinforcement Learning

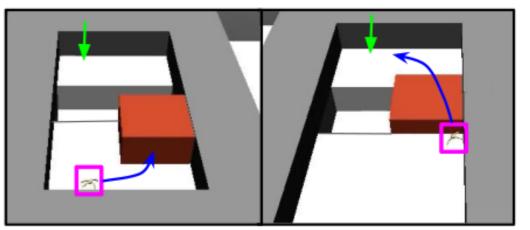
Seminar DRL

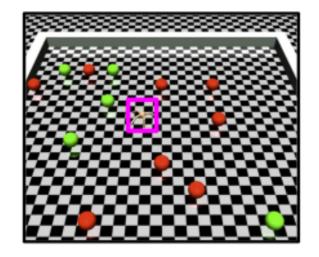
Lucas Brunner 17.03.2020

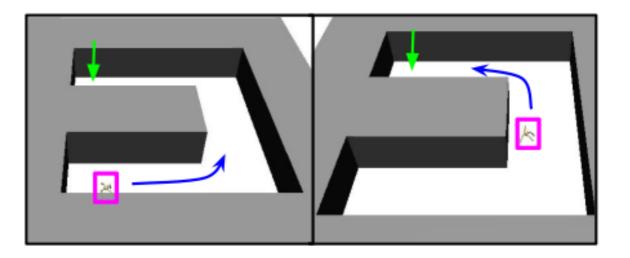
Goals

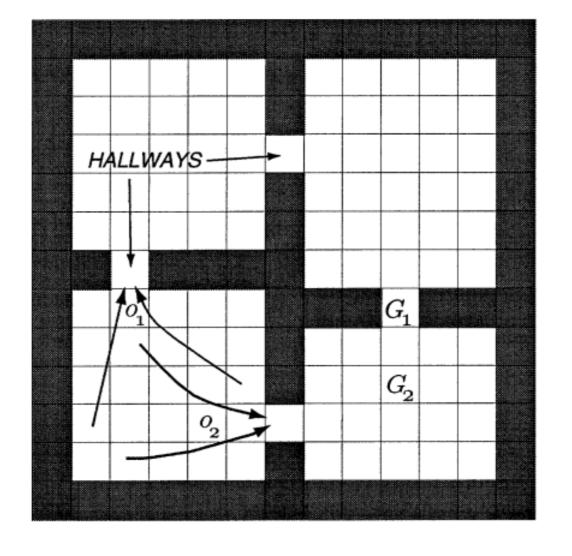
- What problem arise when doing HRL
- How can one solve them
- How are methods connected



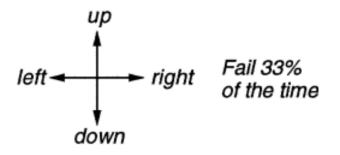








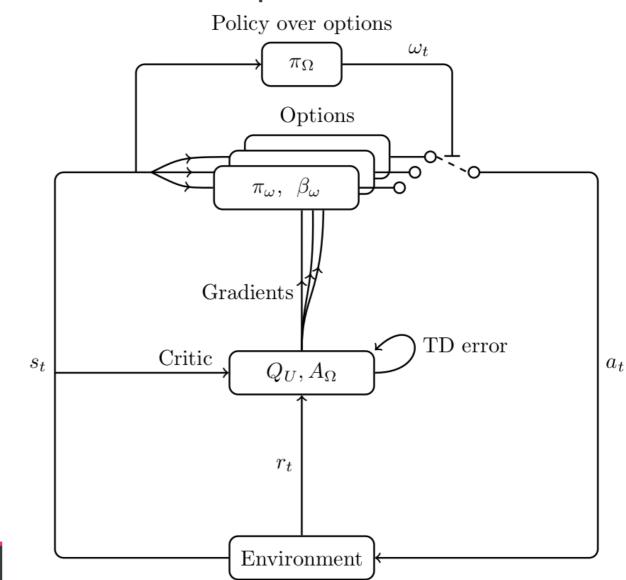
4 stochastic primitive actions



8 multi-step options (to each room's 2 hallways)

(OC) The option-critic architecture

Bacon, Pierre-Luc, Jean Harb, and Doina Precup. 2017



Advantage Function

A(s,w)=Q(s,w)-V(s)

("mesures how much better w is compared to alternative actions)

0 if w is optimal action <0 if w is suboptimal

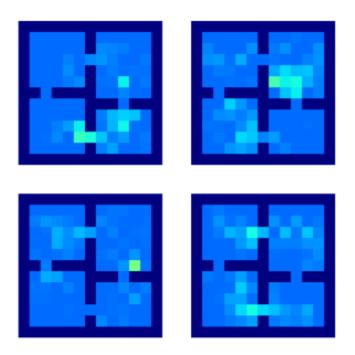
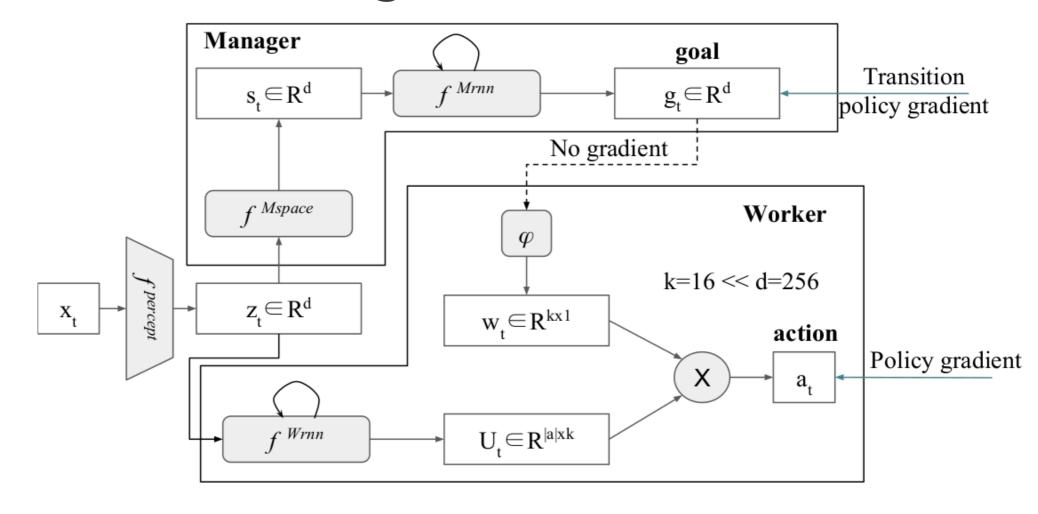


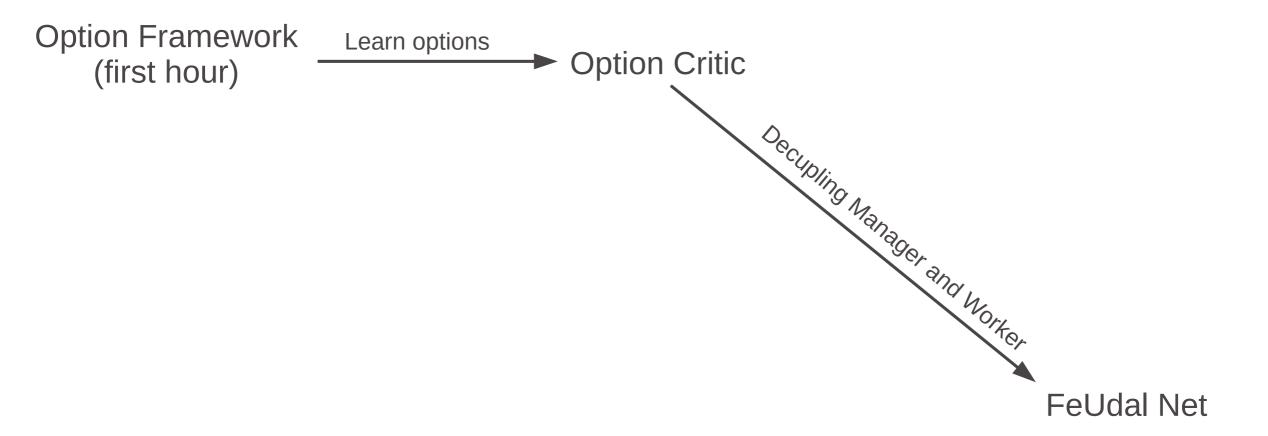
Figure 3: Termination probabilities for the option-critic agent learning with 4 options. The darkest color represents the *walls* in the environment while lighter colors encode higher termination probabilities.

Option Framework (first hour)

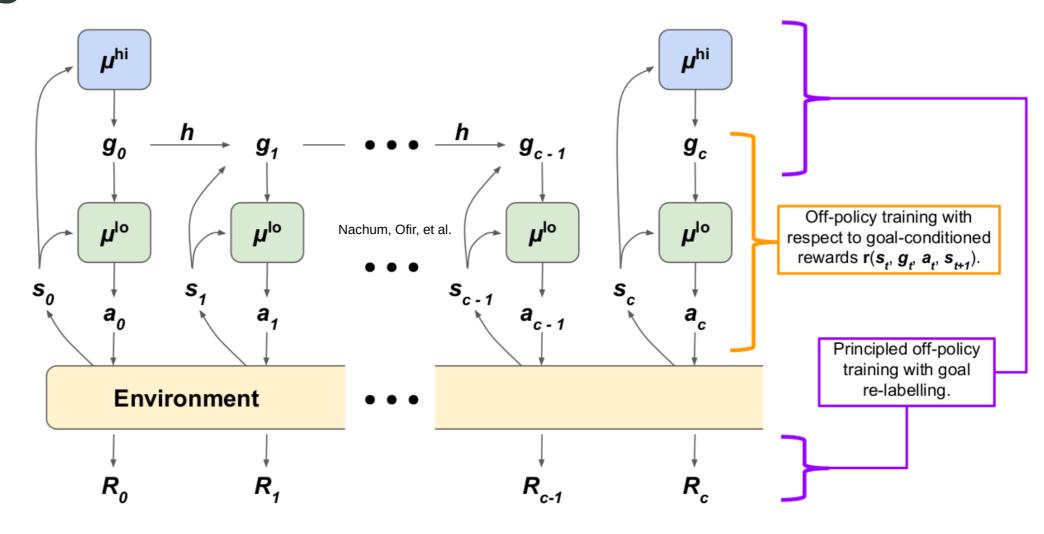
Learn options
Option Critic

FeUdal Networks for Hierarchical Reinforcement Learning Vezhnevets, Alexander Sasha, et al. 2017



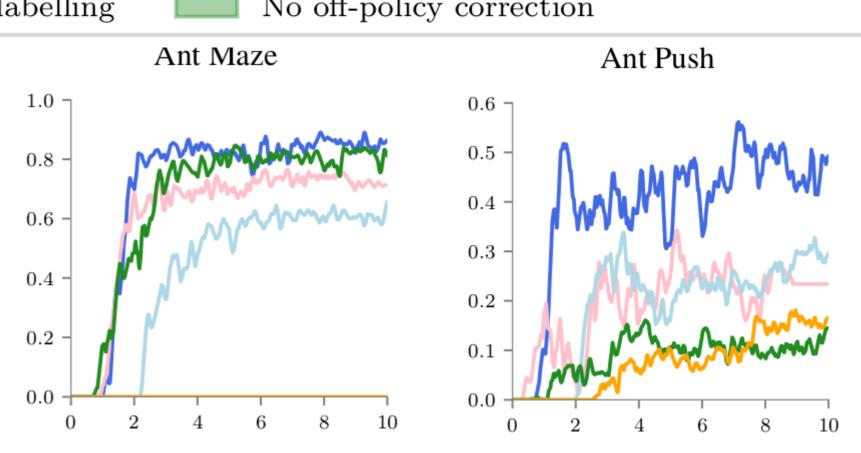


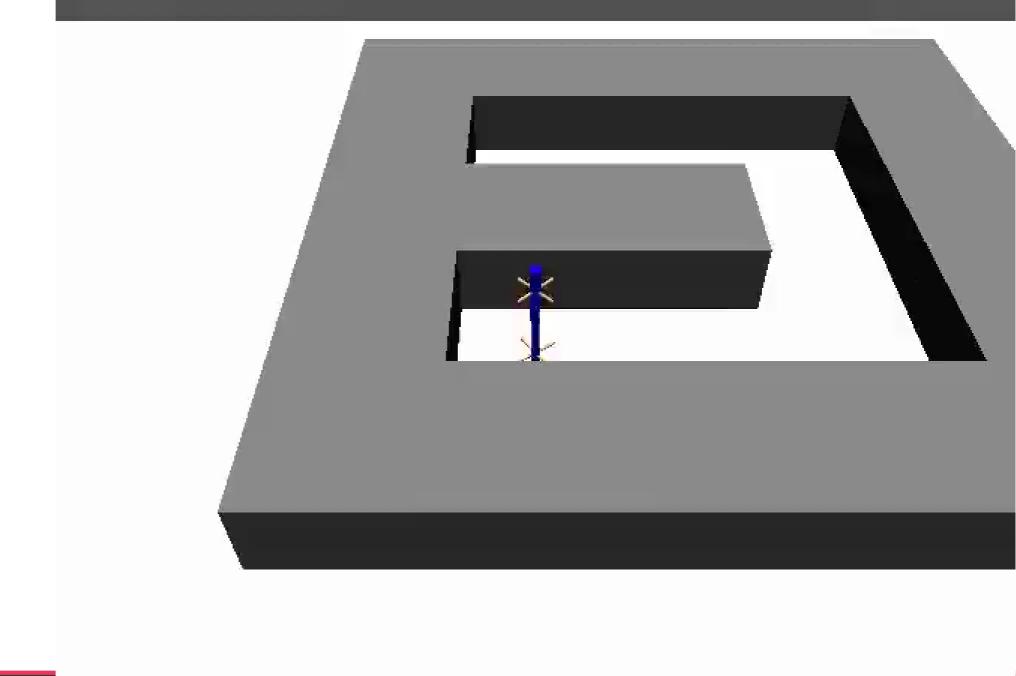
Data-Efficient Hierarchical Reinforcement Learning (HIRO) Nachum, Offir, et al. 2017

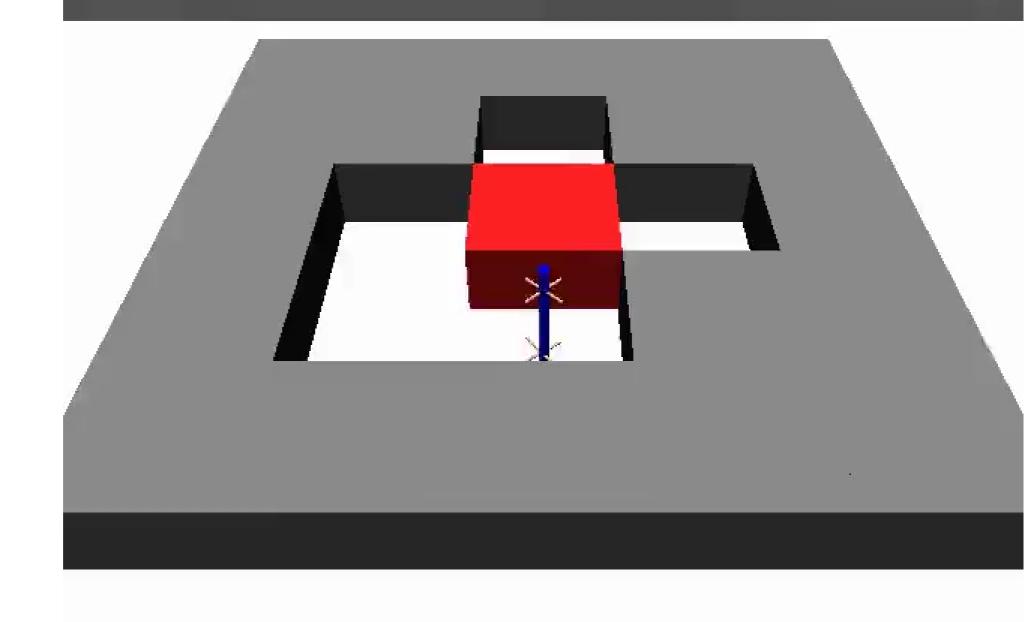


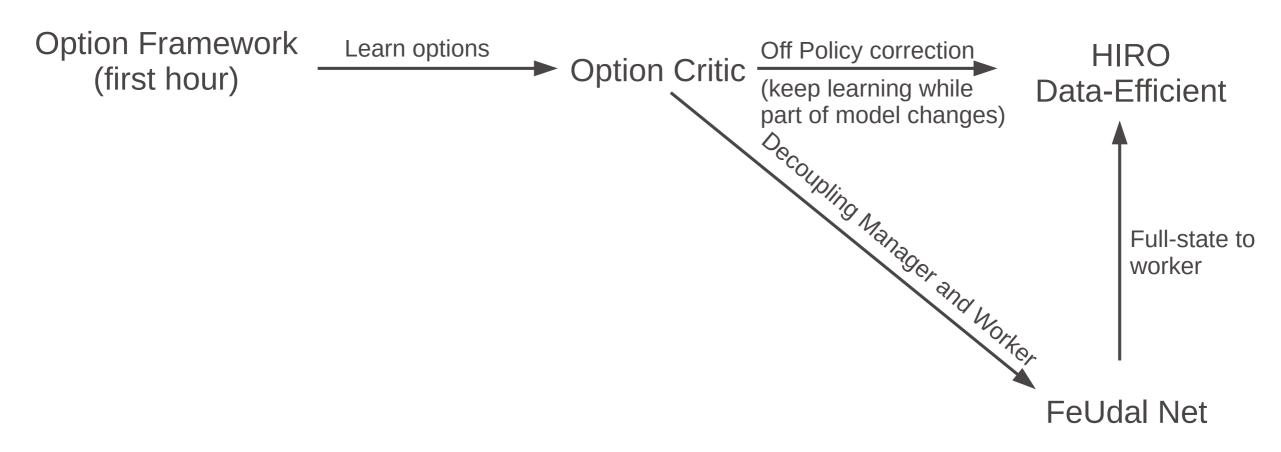
Does it help?

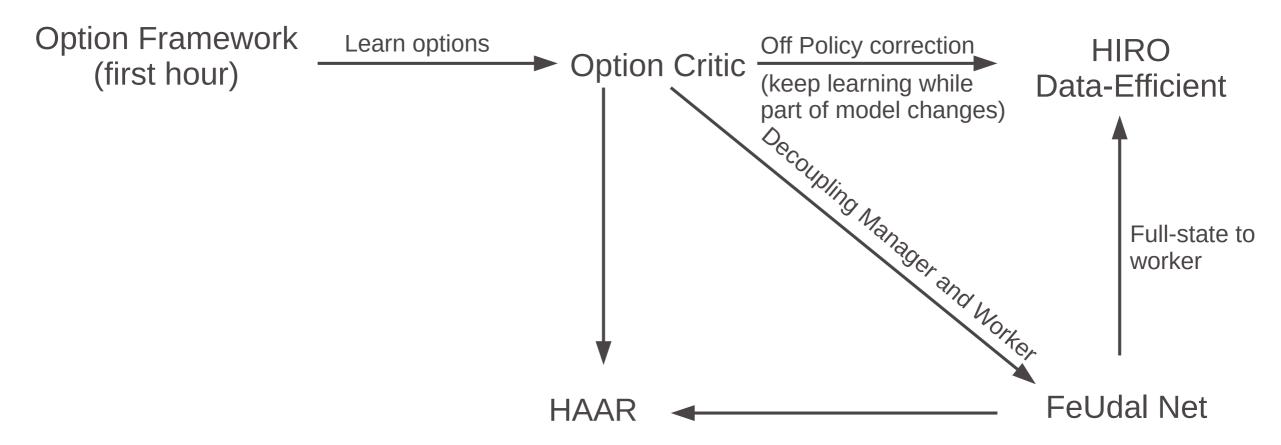






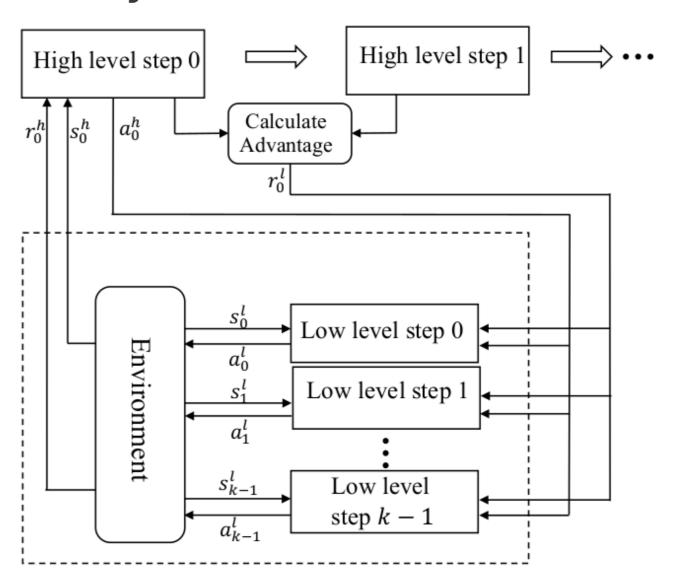


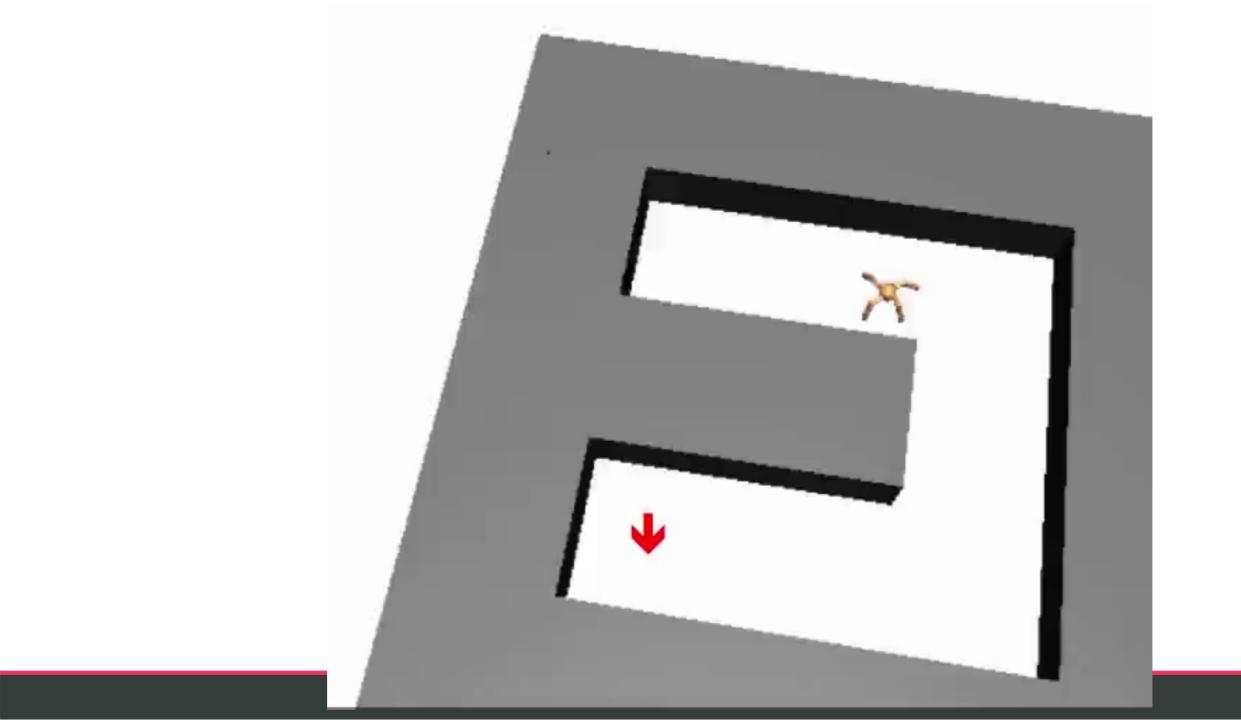




Hierarchical Reinforcement Learning with Advantage-Based Auxiliary Rewards (HAAR)

Li, Siyuan, et al. 2019



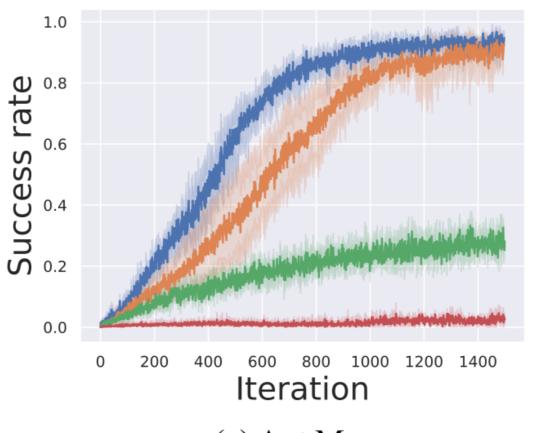


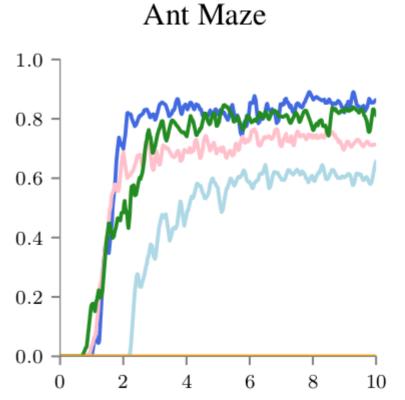
Does it help?

HAAR w/ annealing

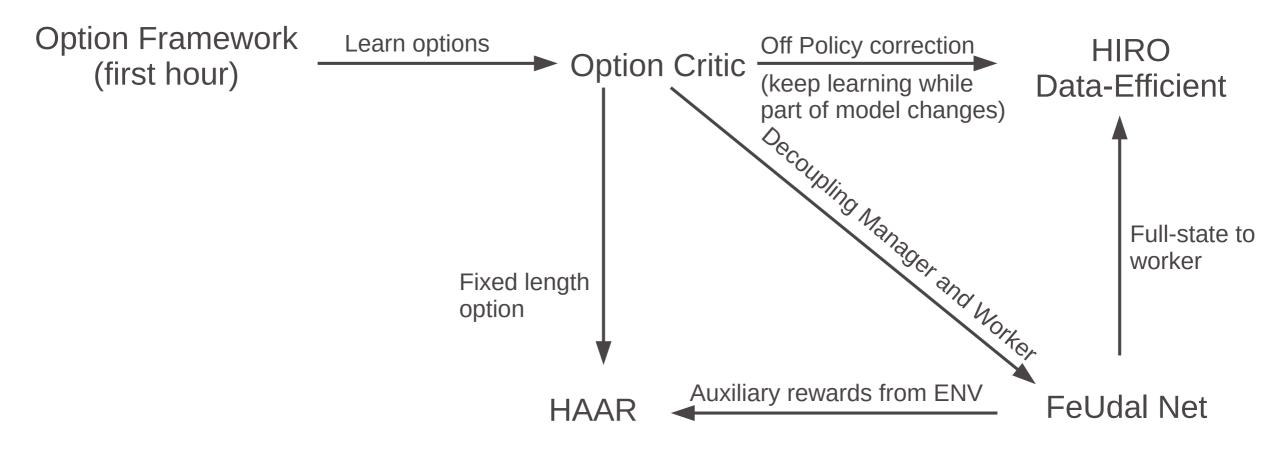
HAAR w/o annealing

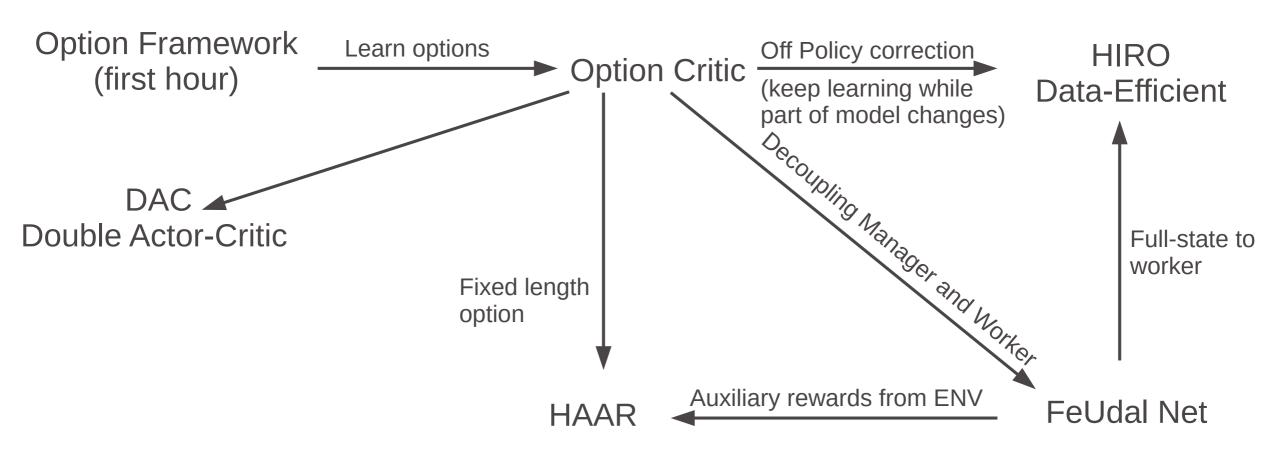
TRPO





(a) Ant Maze





Double Actor-Critic (DAC)

Shangtong Zhang, Shimon Whiteson 2019

Algorithm 1: Pseudocode of DAC

Input:

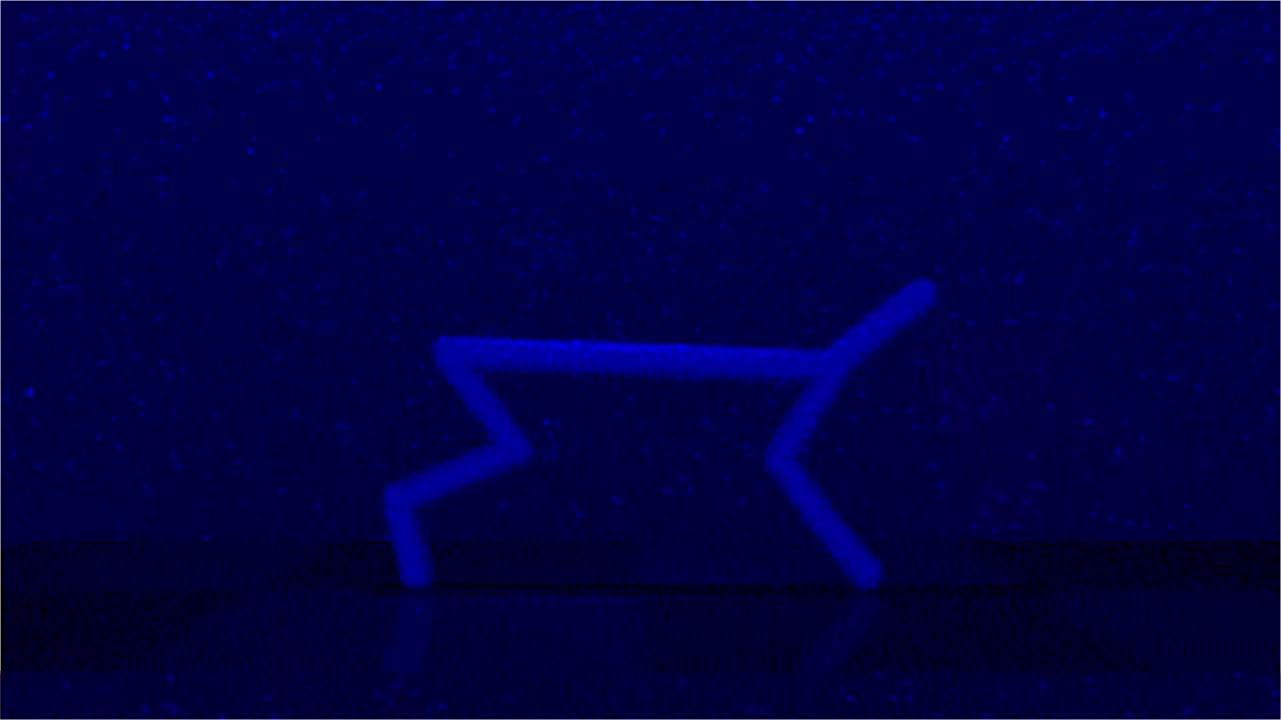
Parameterized π , $\{\pi_o, \beta_o\}_{o \in \mathcal{O}}$ Policy optimization algorithms \mathbb{A}_1 , \mathbb{A}_2

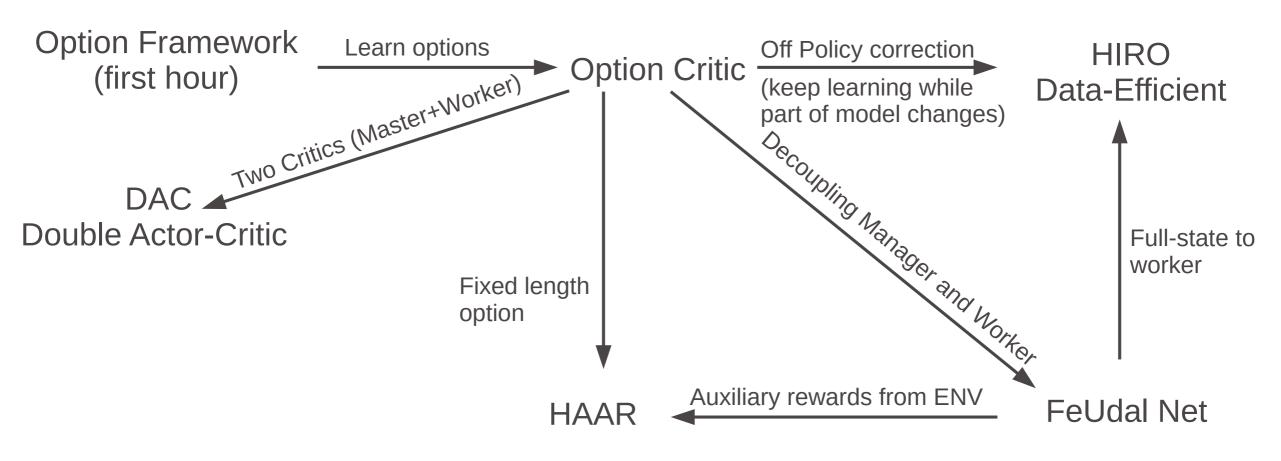
Get an initial state S_0 $t \leftarrow 0$

while True do

Sample O_t from $\pi^{\mathcal{H}}(\cdot|(O_{t-1}, S_t))$ Sample A_t from $\pi^{\mathcal{L}}(\cdot|(S_t, O_t))$ Execute A_t , get R_{t+1}, S_{t+1}

Optimize $\pi^{\mathcal{H}}$ with $(S_t^{\mathcal{H}}, A_t^{\mathcal{H}}, R_{t+1}, S_{t+1}^{\mathcal{H}})$ and \mathbb{A}_1 Optimize $\pi^{\mathcal{L}}$ with $(S_t^{\mathcal{L}}, A_t^{\mathcal{L}}, R_{t+1}, S_{t+1}^{\mathcal{L}})$ and \mathbb{A}_2 $t \leftarrow t+1$





Thank You

Advantage Function

Do we really ned to compute both